

# INRS

Université d'avant-garde



incorporalités. L'espace occupé  
algue des mutations sociales, économique  
de la société québécoise. L'espace s'inscrit  
l'action publique et des rapports sociaux  
à comprendre



# Estimation of infiltration in boreal soils of Quebec, James Bay area

*Evaluation des infiltrations dans les sols boréaux du moyen-nord  
Québécois, région de la baie James*



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CWRA 2008



# Plan

## Objectives

To present a method to characterize :

- (i) Hydrological/hydrous properties of boreal soils
- (ii) Infiltration

→ For hydrological modelling of a boreal watershed (method only no results yet)

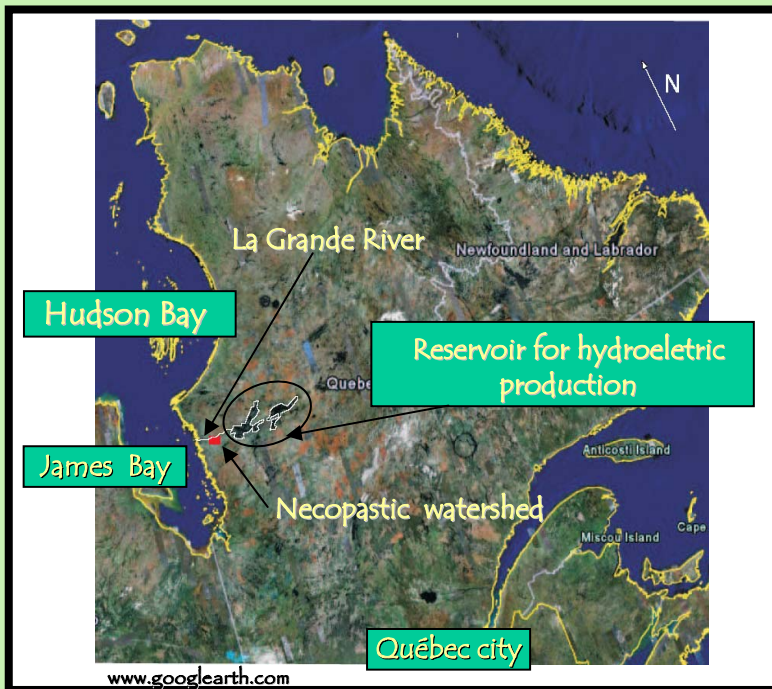
## Plan

1. Contexts
2. Non-destructive sampling method
3. Hydrological properties of individual soil horizons
4. Hydrodynamic Analysis of soil monoliths
5. Modelling of large-size soil columns
6. Expected results

# Geographical context

## Site location and description

- ◇ Pedological sampling → Nécopastic watershed (240 km<sup>2</sup>)
- ◇ 50 kilometers East of James Bay (54°N, 78°O), next to La Grande River, between LG1 and LG2 dams.
- ◇ Vegetation : Forests + Bogs



# Interest context

## Environmental and economic contexts

◇ Current and potential hydroelectric production  
→ Numerous dams or projects

◇ Vegetation blankets and soils are very diversified. They contribute to the water supply of reservoirs

LG-1



<http://photos.internaute.com/auteur/5949100/1074699167>



# Pedological context

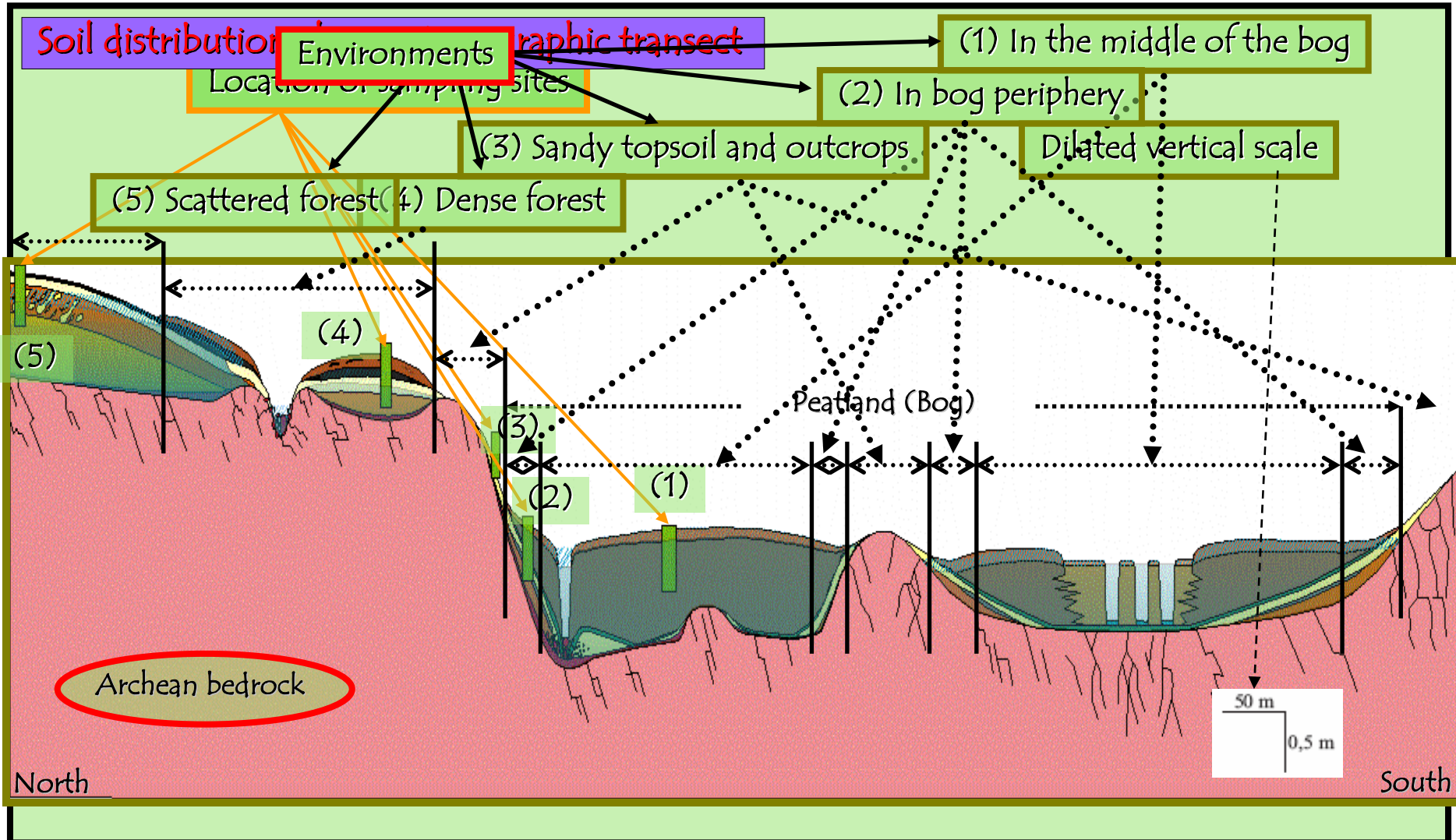
## The boreal soils and their hydrous properties remain relatively unknown

- ◇ Variability of boreal pedology is underestimated – Boreal soils are not uniform and monotonous !
  - Main soil : - purely organic soils
    - organic Podzols
    - mineral soils
  - Main blankets : - mosses
    - lichens
    - organic layers (humus and litters)
- ◇ Pedological horizons are diverse and each of them possess unique physical and hydrous properties. It is not only peat and sand!

### Questions :

- ◇ Influence of moss, lichen blankets and humus horizons on infiltration ?
- ◇ Influence of organo-mineral interfaces ?
- ◇ Variable responses (linked to soil type)

# Pedological context



# Problematic

The specificities of boreal organic soils must be considered

↓ Properties	Materials →	Physico-hydrous properties of organic soils or organic horizons	Physico-hydrous properties of mineral soils or mineral horizons
Porosity		Total porosity > 80% Macroporosity > 50%	Total porosity < 50% Macroporosity < 25%
Retention and hydraulic conductivity curves		$\theta$ and K rapidly decrease (between $0 < h < -20$ cm) → Strong anisotropy for K → Strong hysteresis ( $\theta$ and K are smaller during sorption phase)	Varied porosity (wide range of pore sizes) = wide retention strength range
Soil surface saturation rate		Difficult to reach	Easy to reach
Control of the infiltration rate		Top horizons (humus; acrotelm (unsaturated and macroporous)) and moss or lichen blankets	Precipitation regime $I_c = f(P)$ (When $P > I_c \rightarrow$ Surface runoff)
$I_c$ (Infiltration capability)		Immediate ( $P < I_c$ ) ( <i>Guertin and al., 1987</i> ) $I_c = \text{constant}$	$I_c \neq \text{constant}$

Organic soils curves  $\theta(h)$ ,  $K(\theta)$  and  $K(h)$  remain unknown in boreal area

# Problematic

Hydrological behaviors of boreal organic soils → Model adaptation

## Experiments

1) In the laboratory

2) Modelling at the soil column scale

### Small size columns

Individual horizon properties  
( $K_s$ ,  $K_{unsat}$ , poral classes sizes, Bulk density, Particle density, %Macroporosity, Pore geometry, Texture/Structure, Granulometry, Swelling/Shrinkage effect :  $\sigma(\theta)$  et  $S(\theta)$ , Decomposition degree, Gases diffusivity, Anisotropy, Hysteresis)

### Large size columns

Soil monoliths hydrological limits  
(for various saturation rate and various precipitation regimes  
 $I_c$ , Maximum drainage, Maximum storage, Conditions (When, where, How ?) →  $R$ ,  $I$ ,  $D$  and  $\Delta z_w$ ,  
 $\Delta$  answer according to surface saturation rate,  
 $\Delta$  answer according to soil type

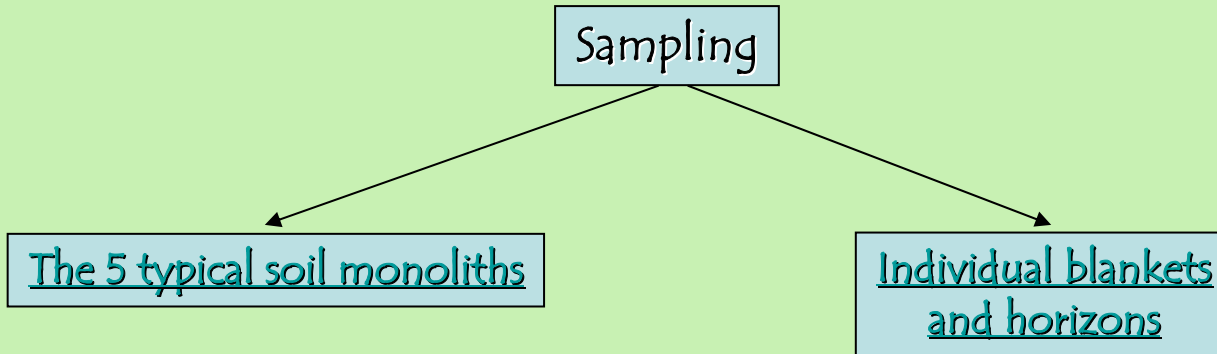
Analytical and empirical equations  
 $\theta(h)$ ,  $K(\theta)$  et  $K(h)$

Flow equation  
(Modified Richards)

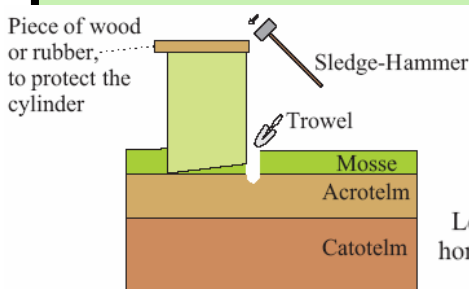
## Comparisons

To reproduce the behavior observed in the lab

# Sampling Objectives

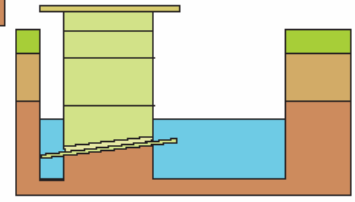
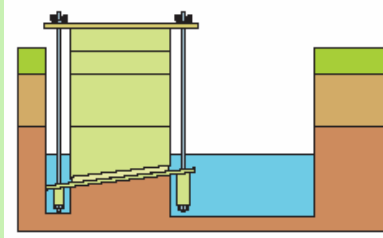
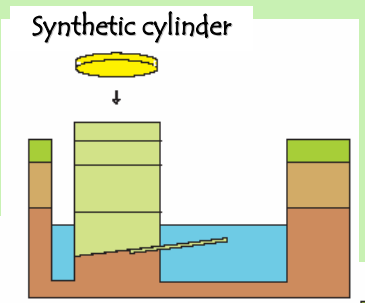


# Sampling methodology



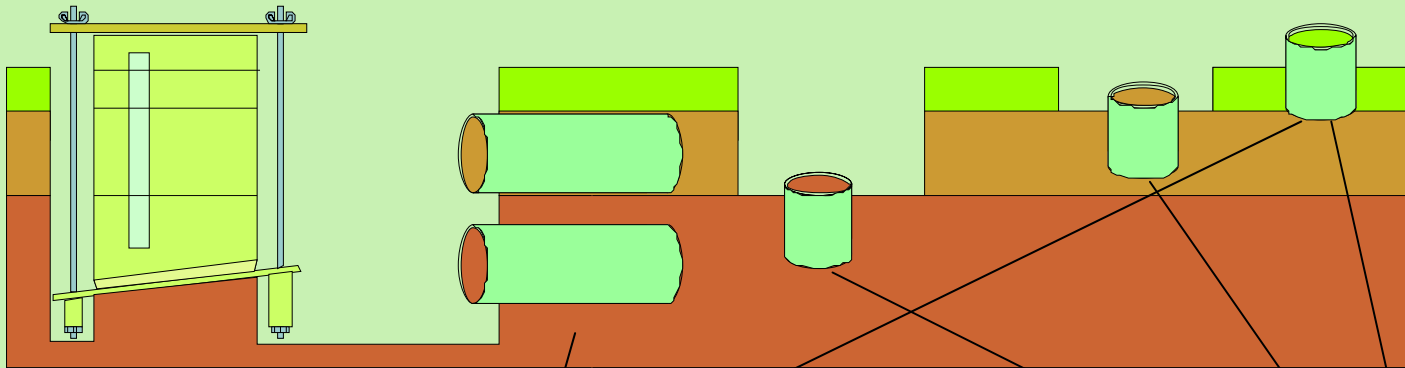
Location of horizon limits

Soil sampling



# Sampling methodology

Undisturbed sampling method for blankets and individual horizons



Blankets (moss, lichen, humus)

+  $\Sigma$  Ped

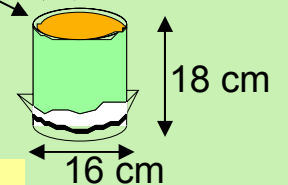
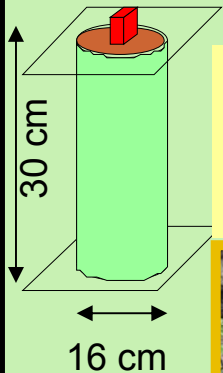
→ Calib

→  $K_a = f(\theta)$

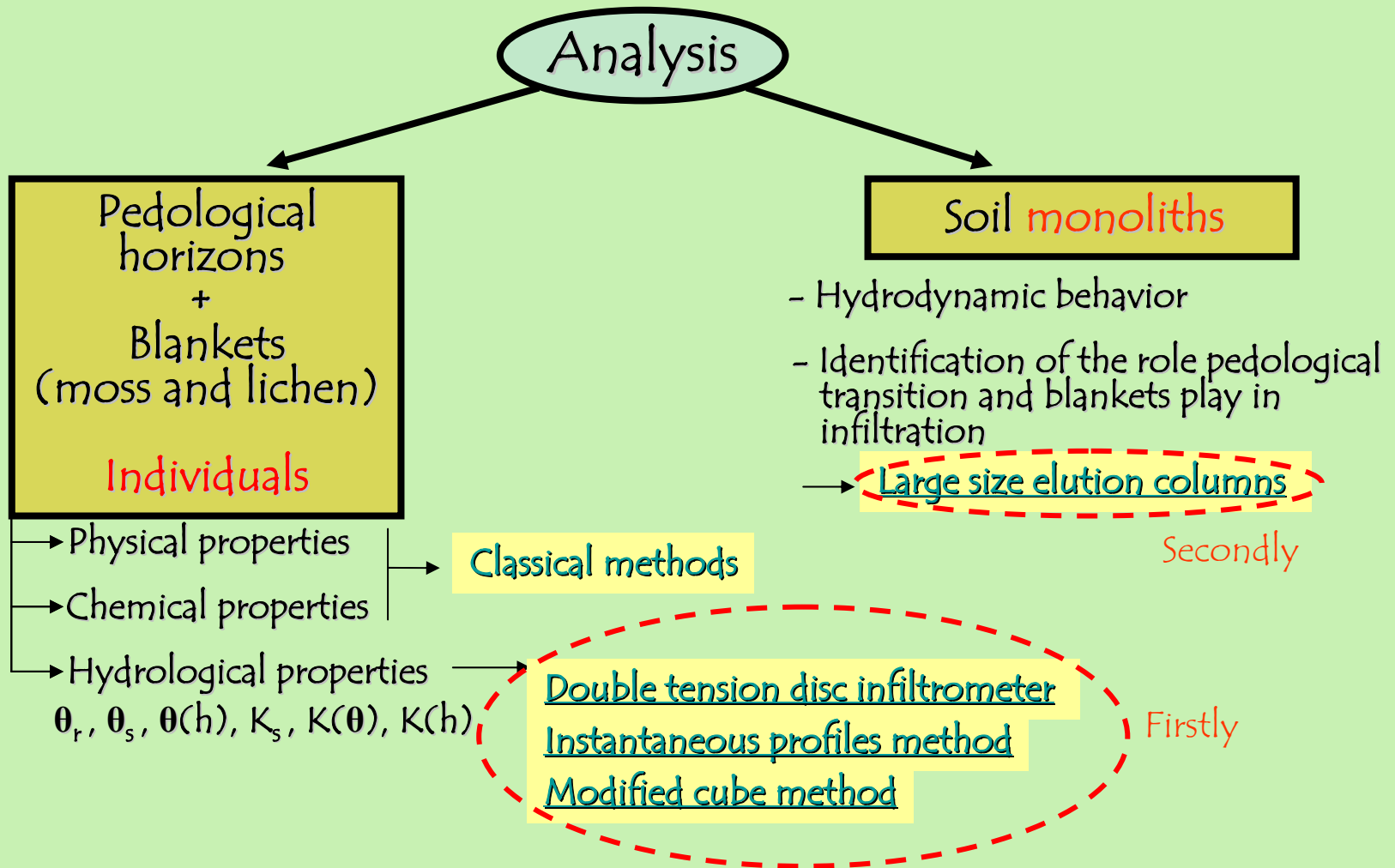
Blankets (moss, lichen, humus)

+  $\Sigma$  Pedological horizons

→ Physical, chemical, hydrous and hydrological properties



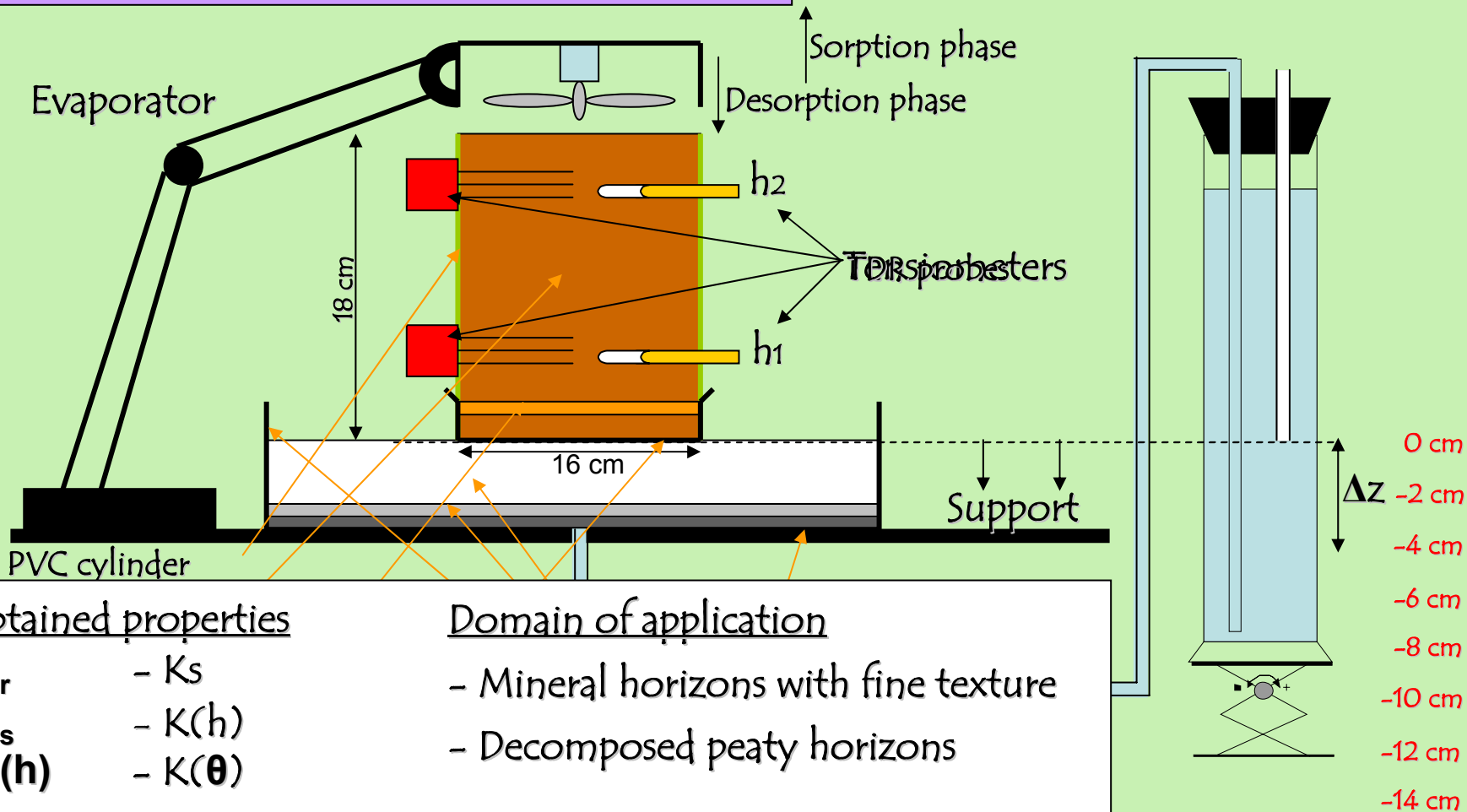
# Sampling methodology





# Methodology : individualized horizons

Instantaneous profile method (Naasz and al., 2005)



## Obtained properties

- $\theta_r$
- $\theta_s$
- $\theta(h)$
- $K_s$
- $K(h)$
- $K(\theta)$

## Domain of application

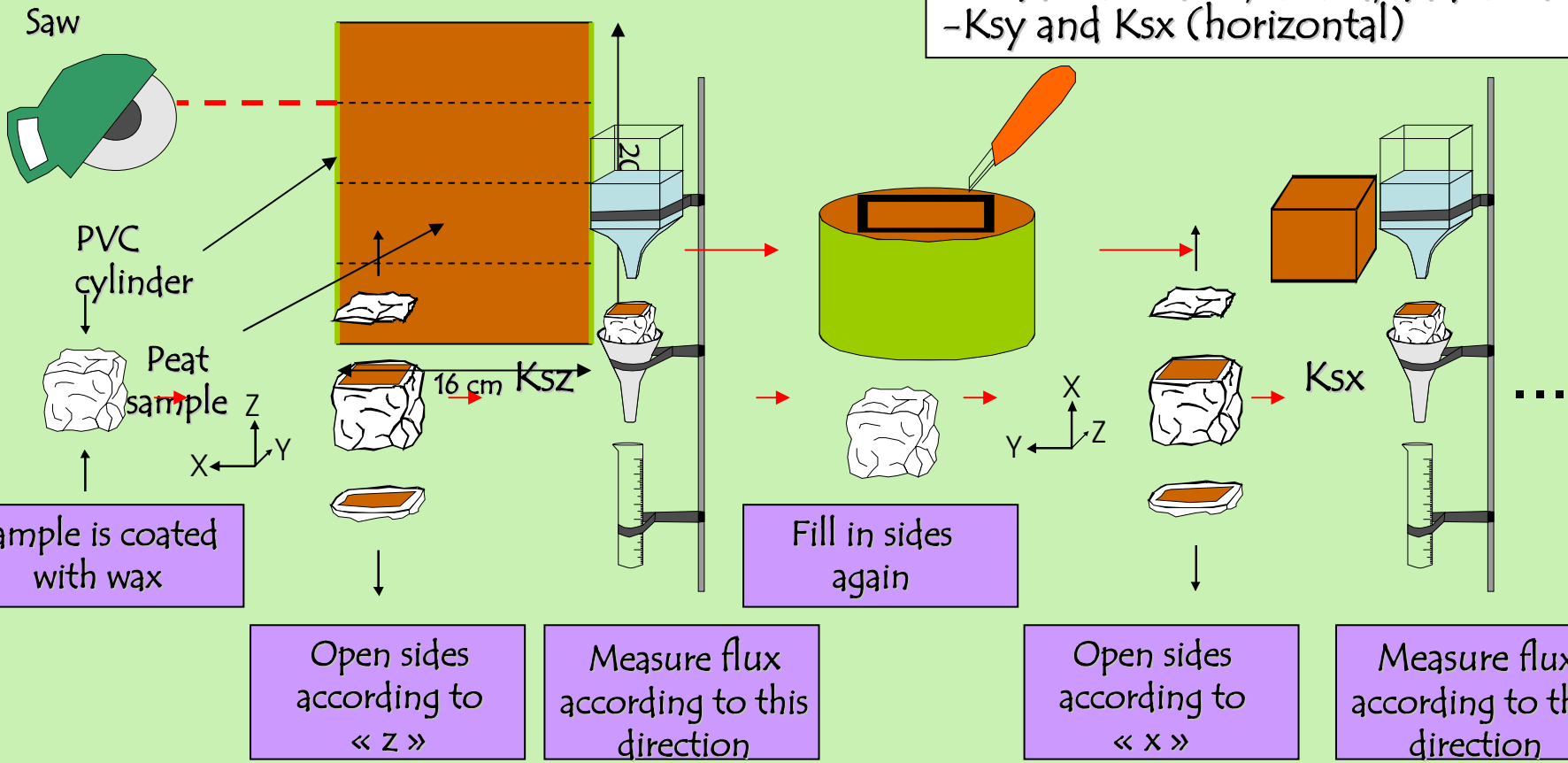
- Mineral horizons with fine texture
- Decomposed peaty horizons

# Methodology : individualized horizons

Modified cube method (Beckwith and al., 2003)

Obtained properties:

- Anisotropy ( $K_s$ )
- =  $K_{sz}$  (vertical)
- Blankets: moss, lichen, and humus
- $K_{sy}$  and  $K_{sx}$  (horizontal)



# Methodology : individualized horizons

- Non-specific equation for general boreal soils
- Non-specific equations for both boreal organic and mineral horizons
- Specific equations for each boreal horizon

Van Genuchten-Mualem model adaptation/adjustment

$K_s$ ,  $K_s$  anisotropy,  $K(\theta)$ ,  $K(h)$ ,  $h(\theta)$ ,  $\theta_s$ ,  $\theta_r$   
Humus / Living blankets / Organic horizons / Mineral horizons

Bulk density  
Particle density  
Decomposition degree  
Granulometry ...

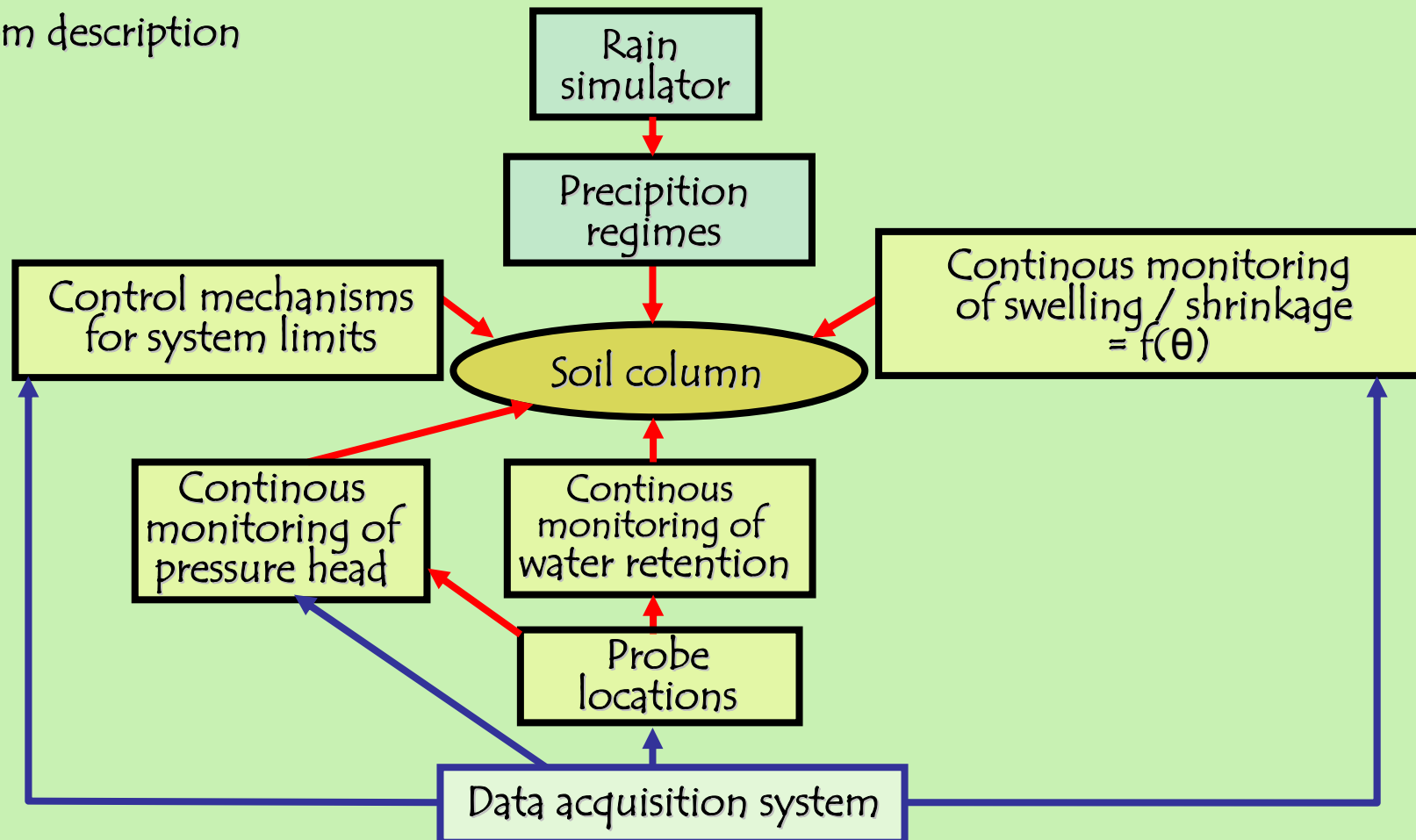
Pedotransfert function (PTF) for  $\theta(h)$  and  $K(\theta)$

- Non-specific equation for general boreal soils
- Non-specific equations: for both boreal organic and mineral horizons
- Specific equations for each boreal horizon

# Methodology : individualized Methodology : soil monoliths horizons

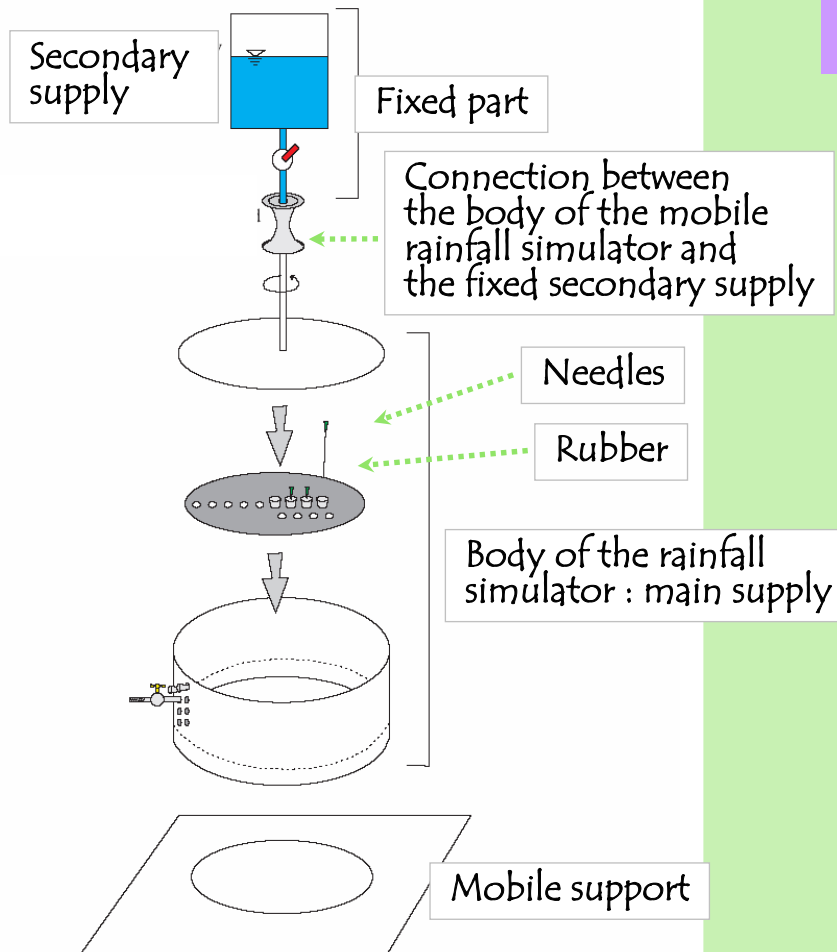
Infiltration on large size columns (Yang and al., 2004 and 2006 ; Legout, 2005)

↳ System description



# Methodology : soil monoliths

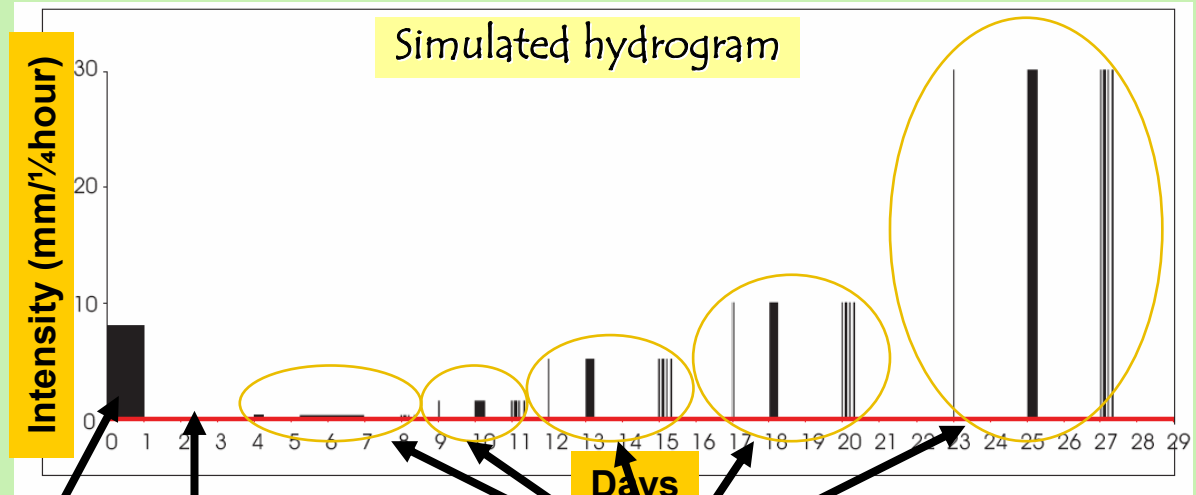
Schematic diagram of the infiltration column apparatus : **rainfall simulator**



Range of simulated rainfalls (James Bay)  
- Common event : 0.4 mm/h  
- Extreme event : 30 mm/h

# Methodology : soil monoliths

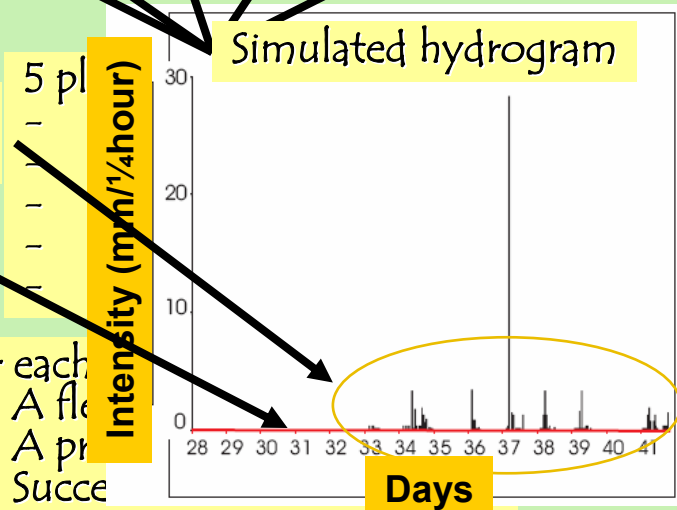
Schematic diagram of the infiltration column apparatus : Artificial hyetogram



Representative weekly hyetogram (July and August 2006 – 2007)

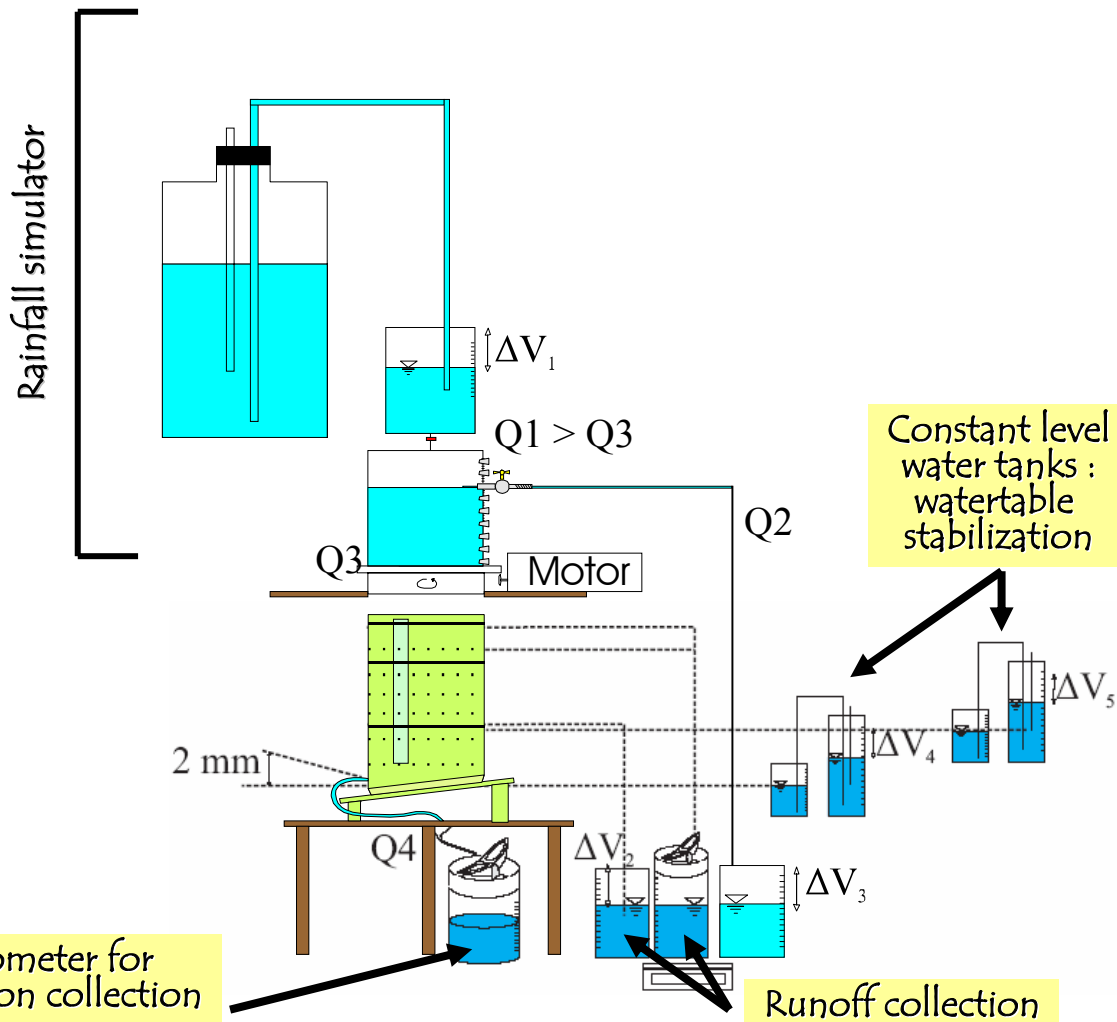
Initial drainage  
Long duration drainage

For each  
- A fl  
- A pr  
- Succe



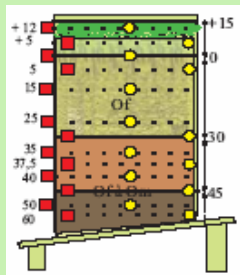
# Methodology : soil monoliths

Schematic diagram of the infiltration column apparatus :  
Illustration of water connection devices (with the peat column)

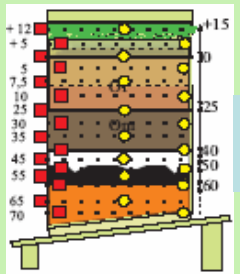


# Methodology : soil monoliths

Schematic diagram of the infiltration column apparatus :  
Electronic and computing connections

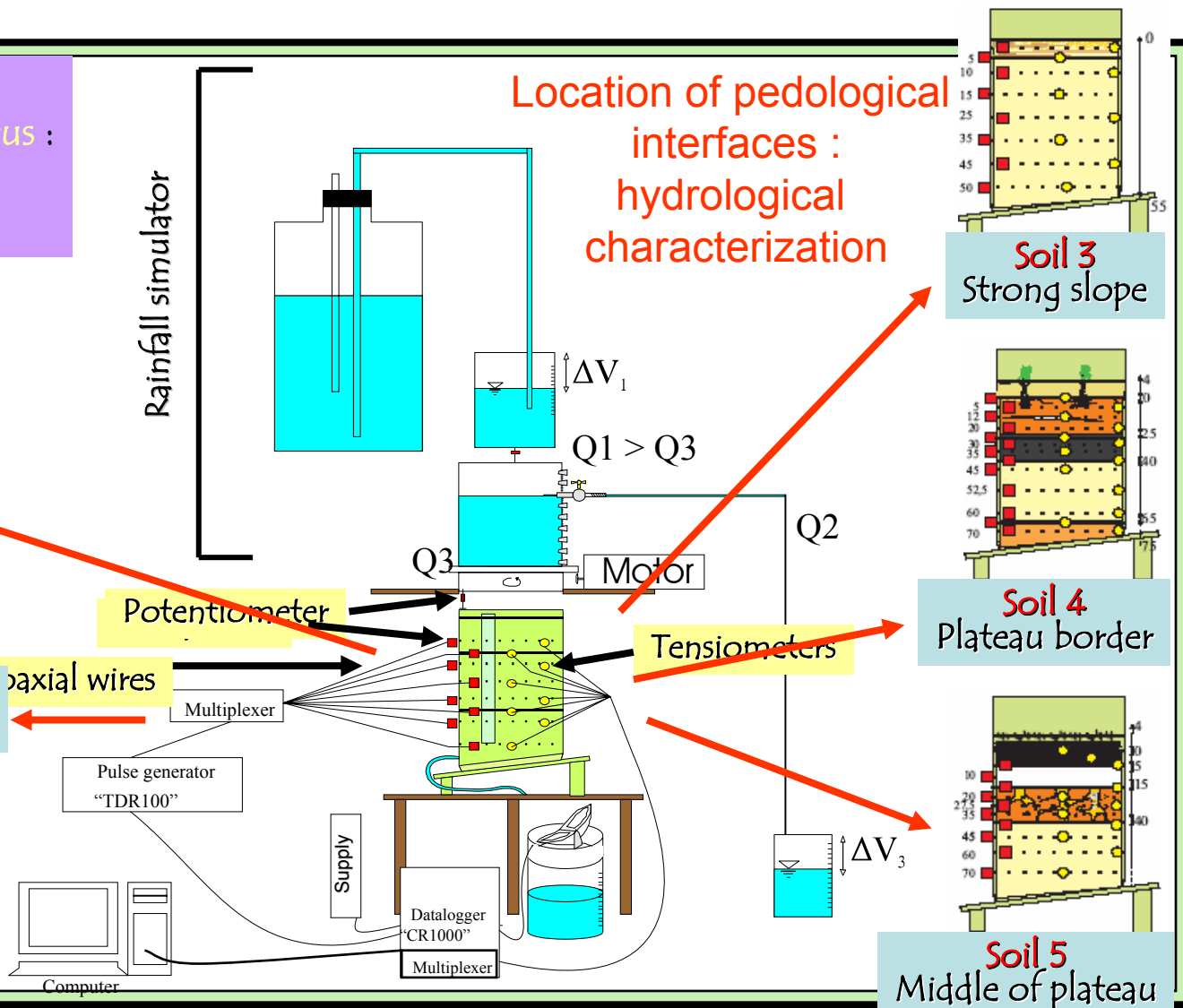


Soil 1  
Bog



Soil 2  
Bog periphery

Control system :  
data reception and  
program modification



# Methodology: soil monoliths

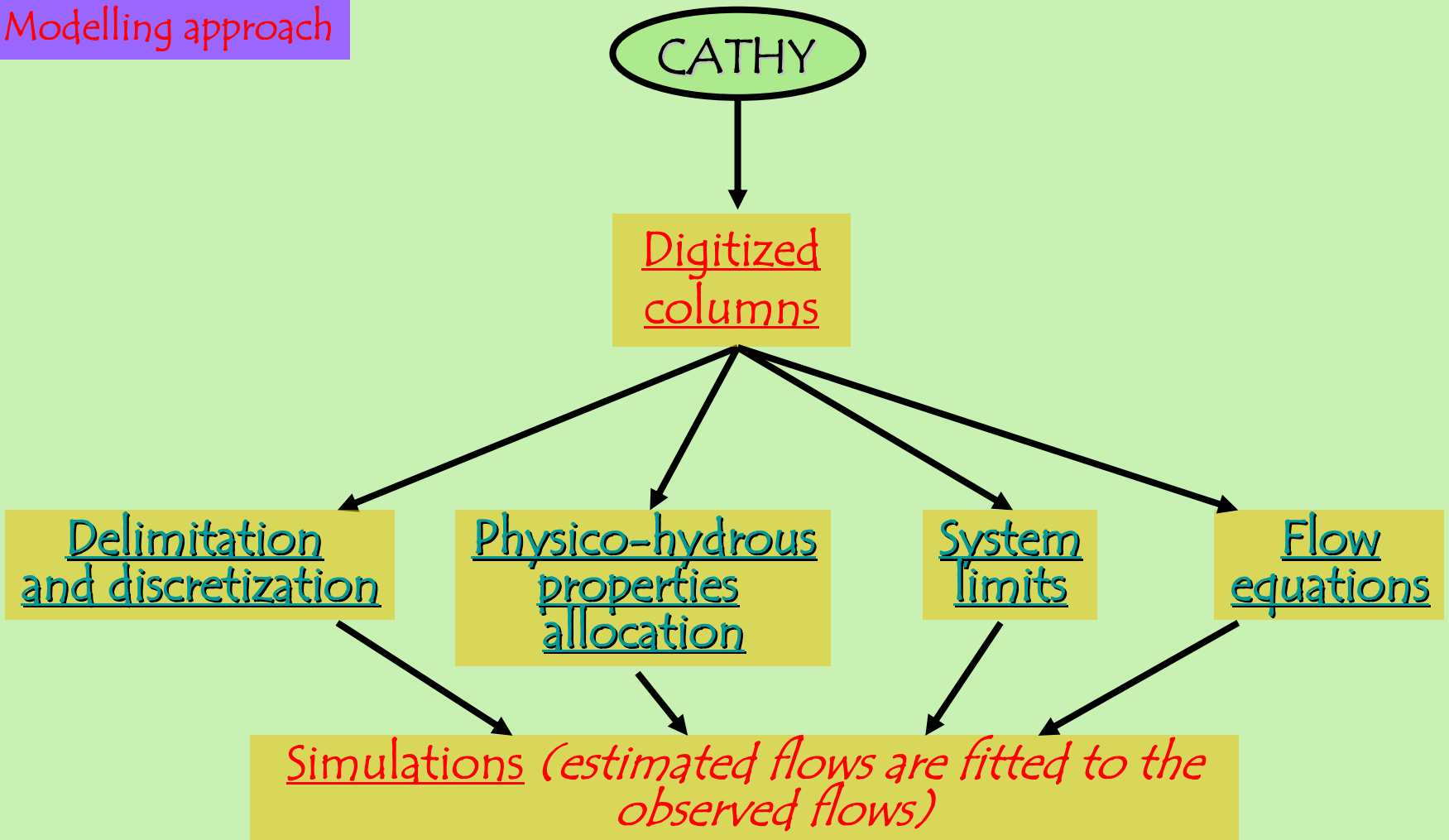
## Modelling applied to boreal soil columns

### Objectives

- Test, adapt and validate a model for boreal soils
  - Several curves  $\theta(h)$  et  $K(\theta)$  will be tested
  - Several flow equations will be tested
- Understand, reproduce and model hydrodynamic behavior
  - Find equations for : I, E, ET, R, D,  $\Delta$ Storage
  - Estimate the predominance of all physico-hydrous properties in these processes

# Modelling

Modelling approach

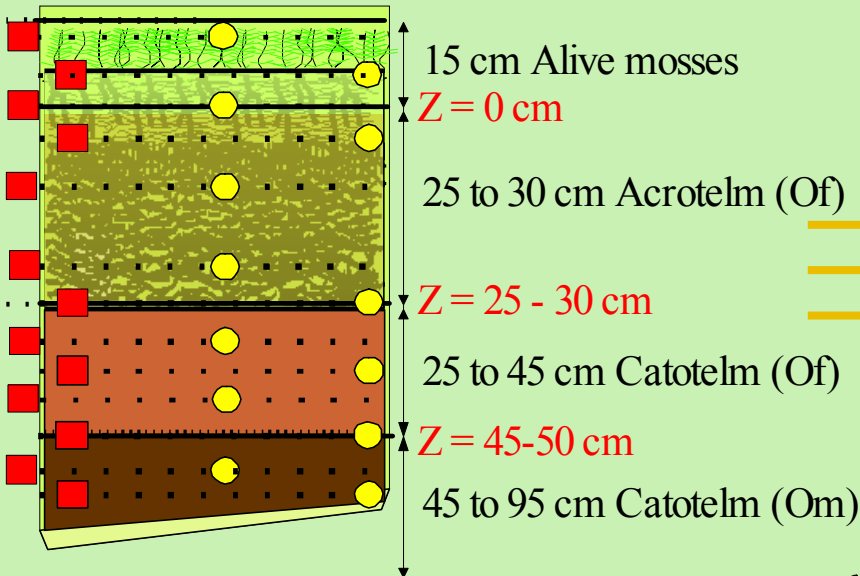


# Modelling

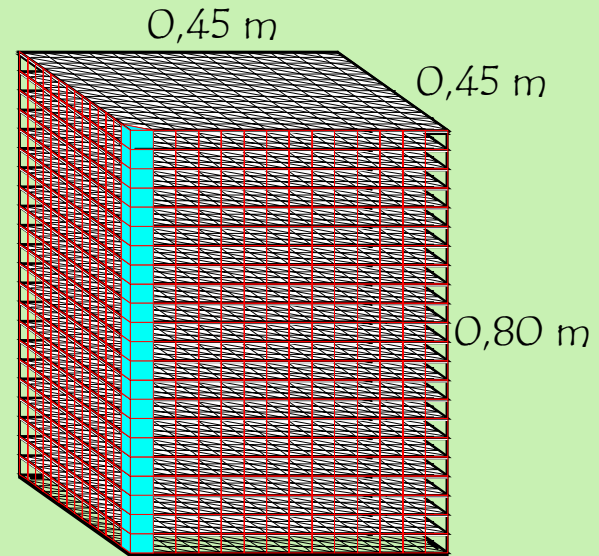
## Spatial delimitation and discretization

Ex : Soil 1 in the middle of the bog

### Laboratory column



### Digitalized column



→ Surface fine meshing :

- Regular and homogeneous partitionment  $P \rightarrow R + 1$
- Good interactions between levels (groundwater levels every centimeter)
- Precision of  $h, 20 \text{ et } R100 \text{ files} \rightarrow \text{com } 1000 \text{ m}$  with equivalent depths on laboratory column

1/ Define the system (section and depth)

2/ Discretization : Finite elements method

# Modelling

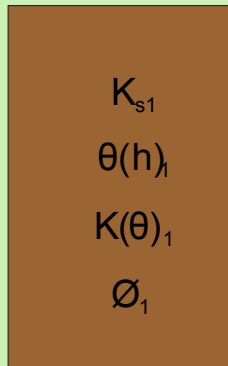
## Configuration

- Allocation of physical and hydrological properties in every discretized cells  
 $K_s$  ( $K_{vs}$ ,  $K_{hs}$ ),  $K(\theta)$ ,  $\theta(h)$ ,  $\phi(\theta)$ ,  $S_s(\theta)$  et  $\sigma(\theta)$
- Several equations  $\theta(h)$  and  $K(\theta)$ , specific or not, could be included in flow equation:
  - Raw state data
  - Fitted curves with VGM model (*Van Genuchten and al., 1991*)
  - Specific PTF
  - No-specific PTF
- Reconstruction of pedological horizons → Several scenarios are tested

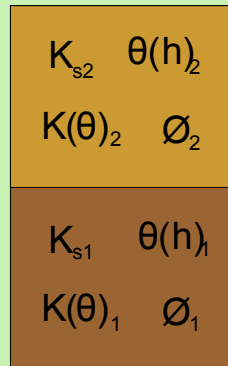
# Modelling

## Simulations

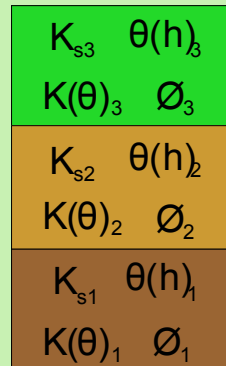
Homogenous mesic peat



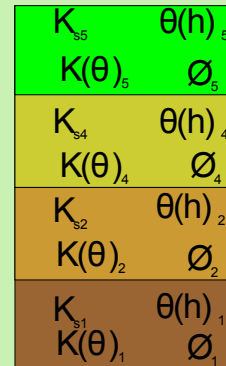
Fibric peat (Acrotelm) under mesic peat (Catotelm)



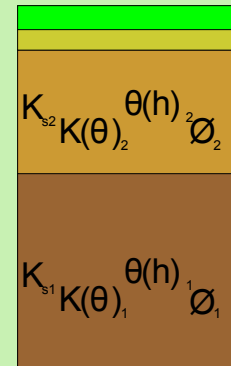
Homogenous Moss blanket



Dead moss and live moss layers



Real horizon thickness



Complexity and realism increase

# Modelling

## Flow equations

### Richards equation

$$\sigma(S_w) \frac{\partial h}{\partial t} = \nabla \cdot [K_s K_r(S_w) \nabla (h + z)] + q$$

With  $\sigma = \phi \frac{\partial S_w}{\partial h}$

Where

$h$  [L];  $\sigma$  is total storage coefficient [1/L];  $S_w$  is saturation rate =  $\theta/\theta_s$ ;  $\theta$  and  $\theta_s$  [ $L^3/L^3$ ];  $S_s$  is specific storage coefficient [1/L];  $\phi$  is porosity (=  $\theta_s$  when swelling/shrinkage is not considered);  $t$  is time [T];  $K_s$  represents saturation hydraulic conductivity [L/T];  $K_r$  is relative hydraulic conductivity (=  $K/K_s$ );  $z$  is a vector (coordinates  $x = 0$ ;  $y$  and  $z = 1$  (positive upward direction) [L];  $q$  represents sinking flux (water taken up by roots) or supplying flux [ $L^3/L^3T$ ], (Paniconi and Putti, 1994)

### Modified Richards equation

Hydrological behavior simulation by taking account of  $S_s$  in  $\sigma$  equation

With  $\sigma = \phi \frac{\partial S_w}{\partial h} + S_w \cdot S_s$

Variation of environment compressibility with water content :  
Dependent on Swelling/shrinkage curve

# Modelling

## Comparison/Validation

Differences with regard to observed hydrological behaviors

$h$  and  $\theta$  profiles

Migration speed of the imbibiting and percolating fronts

Spatio-temporal variation of hydrological properties ( $K, h, \theta, \text{flux}$ ) according to precipitation regime

CATHY model performance ?

Instantaneous/local/global water balance  
 $\Delta(I, R, D) = f(P, \theta_{\text{initial}})$

Rise and drawdown watertable speed according to  $P, E$  et  $S_{\text{initial}}$

$h_{\text{surface}}(z_w)$

$\sigma = f(\theta, S_s)$

Location/quantification of  $R_{\text{surface}}$  et  $R_{\text{sub-surface}}$  (according to  $\theta, K,$  and  $P$ )

## Conceptualization

Pedological interfaces and blankets effects on  $I, E(z_w), ET(z_w), R_{\text{surface}}$  et  $R_{\text{sub-surface}}$ , deep drainage and groundwater recharge

Relation between "I" and "Imbibiting front depth"

# Conclusion

This procedure has to allow :

- (i) To improve the modelling of soil water dynamics of boreal soils
- (ii) To better model the hydrological cycle at the scale of boreal watersheds

We need to determine:

## Which are the real input data requirements ?

- From the succession of scenarios identify:
  - What is the minimum complexity level ?
  - What is the relative importance of each physico-hydrous property ?  
Example : hysteresis, horizon thickness .. ?
- $\theta(h)$  and  $K(\theta)$  specific calibration ?
- Differentiation of various blanket types influences on E, ET and I ?
- CATHY applicability and robustness ? Soil types ? Adjustments ?

End